

Αγαπητέ μου Γεώργιε.

Επί γράφα μιν δα' τῷ νεύματι τῷ λαχόντων
ναῖν σοι γράφω παρακαλῶ σε εἰς τὴν ἐμπειρίαν σου
ἐν τῷ ὅτι οὐκ ἔστιν καλὴ τὴν ἐμπειρίαν. Ἐὰν δὲ ἐν
ἐκείνῃ οὐ παρακαλῶ καὶ μὴ γράφω καὶ νερὶ αὐτῷ.
Ὁ ἀπόστολος. Ὁ ἐμπειρὸς φίλος ἐν οἷς δὲ δα'
γινώσκῃς ἐν τῇ ἐμπειρίᾳ ἐκδομένη τῇ αὐτῇ
περὶ αὐτῶν ἀρχαίαν, ἵνα δα' τῷ ἐμπειρῷ δα' σοι
γράφω. Ἐρπύου. Ἀνασταί μετ' αὐτῶν ἐμπειρῶν
μετ' αὐτῶν ἀρχαίαν τῇ περὶ σου.

Ἡ ἀγαπητὴ καὶ ἡ ἀγαπητὴ
1886.

ὁ ἐμπειρὸς.

Ἡ ἀγαπητὴ

$\mathcal{A} \mathcal{B} \div r = w$ $u + v$ $\mathcal{B} w + \mathcal{B} v$ $\mathcal{A} \div \mathcal{A} r = +$ $\sigma v \mathcal{A} \mathcal{A} + \mathcal{A} r \mathcal{Y} + \sigma$ $w r$
 $= r r$ $w \div r \sigma = +$ $\mathcal{A} r r$ $\sigma + +$ $u r = +$ $\div \mathcal{A} r = r \sigma$ $\nabla w r$ $u r = r \mathcal{A} r$
 $= + r$ $\div + \mathcal{A} r = r \mathcal{Y} + r$ $w r \mathcal{B} r + r$ $\nabla r + = r$ $\nabla w r$ $\mathcal{A} w \mathcal{B} + \dots r$ $r \mathcal{Y} i$
 $\div + \mathcal{A} r = w \mathcal{A} + u w r$ $\mathcal{A} w \mathcal{A} + \dots r = r r$ $\sigma + \mathcal{A} r$ $u + r \mathcal{A} r \mathcal{Y} r = + r$ $\mathcal{Y} + r$
 $\mathcal{A} \div r \mathcal{A} + r \mathcal{A} \mathcal{A} r = +$ $+ r + u \mathcal{A} = + \dots \mathcal{Y} \mathcal{A} r + \dots$ $\mathcal{A} \div + = + r \neq r \mathcal{Q}$
 $u \mathcal{A} = + r = + \dots = +$ $u w$ $\sigma \dots \sigma \mathcal{A} | w \sigma = w$ $u w \mathcal{B} \mathcal{A} + \sigma$ $\mathcal{A} \mathcal{B} \mathcal{B} \div r$
 $\mathcal{A} \dots u + \div + \mathcal{A} \dots$ $w r \div w | r \div = + \sigma w$ $w \div \mathcal{A} r \mathcal{A} \sigma = \mathcal{A} \sigma w + \sigma$ $w r \mathcal{Y} r$
 $r \mathcal{A} \mathcal{A} \mathcal{A} + w r \mathcal{B} r + r$ $u w | r \sigma$ $\mathcal{Y} w = + \dots = +$ $\sigma w \div \mathcal{A} | \mathcal{A} \mathcal{Y} \mathcal{A} \sigma +$
 $w r \mathcal{B} r \sigma r \sigma \pi + \sigma = w$ $r \mathcal{A} \mathcal{A} r \mathcal{Q} \mathcal{A} r \dots \div + \neq w r$ $r w \div r \mathcal{A} \dots u$
 $u + \dots \mathcal{A} \mathcal{Q} = r$ $+ \sigma + r \mathcal{A} \mathcal{Q} + | \mathcal{A}$ $w r \sigma = +$ $\mathcal{Q} | + r u \mathcal{A}$ $w r \mathcal{Y} r =$
 $= r$ $r \mathcal{A} \sigma + r$ $w r \div +$; $w \div r \mathcal{A} \dots u + + \sigma \mathcal{A}$ $\sigma + r$ $\mathcal{B} \mathcal{A} \mathcal{Q} + r \mathcal{A} = \mathcal{A}$
 $\mathcal{A} r \mathcal{A} \mathcal{Y} + r \mathcal{Y} + \sigma w r \sigma$ $\mathcal{A} w = + r \sigma$ $\mathcal{A} | u + \sigma r + r \sigma$ $r \mathcal{A} | r = + \dots$
 $w \div \mathcal{A} r \mathcal{A} \sigma = \mathcal{A} = r \mathcal{Y} r$ $w r \mathcal{B} r \mathcal{A} \mathcal{A} \div w | r + | r \sigma \mathcal{A} r$ $u w = \mathcal{A} \mathcal{B} \dots$
 $+ \mathcal{A} r \mathcal{B} r = + r$ $\mathcal{A} + \dots \mathcal{A} w \mathcal{Q} = + r$ $w \mathcal{B} + r \div + \mathcal{A} + r$ $\nabla w r$ $w r$
 $\div \mathcal{A} w + r$ $r + u + u + r$ $\mathcal{A} + \dots \mathcal{A} w \mathcal{Q} + r \sigma$ $\mathcal{A} \mathcal{B} \mathcal{A} \sigma r \sigma = r \sigma \div \mathcal{A}$
 $= + r$ $+ \dots = +$ ∇w $\mathcal{A} r$ $\mathcal{Q} \mathcal{A} \sigma w r \sigma = + \dots \mathcal{Y} r r u \mathcal{A} = + \sigma$ $u w r + r r$ $\mathcal{Y} w \mathcal{Y} r$
 $\mathcal{A} r$ $w r \sigma = + \dots \sigma \div + \mathcal{A} + \dots r$ $\mathcal{Y} \mathcal{A} r + = \mathcal{A} r$ $u w = + \dots \div + \mathcal{A} \dots$
 $w \div r \sigma = r r + | \mathcal{A}$ $\mathcal{A} \mathcal{A} w \mathcal{A} | + \dots r$ $\mathcal{A} \div \mathcal{A} | \mathcal{A} \sigma \mathcal{Y} w \mathcal{A} + r = +$ $\mathcal{Q} | + r u$
 $\mathcal{Y} \mathcal{A} r$ $\mathcal{Q} + \mathcal{A} + \dots u \mathcal{A} r$ $u r = \dots || + r \div \mathcal{A} | w \mathcal{A} \mathcal{A} r$ $\mathcal{Y} \mathcal{A} r + \sigma \div + \mathcal{A} \dots r$ $r \mathcal{A}$
 $w r + r \sigma w r + \mathcal{A} \mathcal{A} + \sigma = r = || w r$ $= + r \mathcal{A} \mathcal{Q} = r r$ $w r \mathcal{B} r \mathcal{A} \mathcal{A}$
 $u + r + u w | r$ $w \mathcal{A} \mathcal{A} \sigma r \sigma w$ $\sigma \dots \sigma = \dots || + \sigma$ $\mathcal{Y} \mathcal{A} r + \mathcal{A} r = r \div | + \sigma + \dots$
 $= r \sigma \mathcal{A}$ $u = + \dots \mathcal{A} \mathcal{A} \sigma r \sigma w r$ $\mathcal{Y} \mathcal{A} r + w r \mathcal{B} r \mathcal{A} \mathcal{A}$ $\mathcal{A} \mathcal{Q} = r$ $w r$
 $r \sigma w \div \mathcal{A} | \mathcal{A} \div + r \mathcal{A} \div \mathcal{A} | \mathcal{A} \div + \mathcal{A} + r \sigma$ $r \sigma || + \dots \sigma r$ $w \mathcal{Q} | + r +$
 $+ = r + \mathcal{Q} w r \mathcal{A} + r$ $r \mathcal{A} \div | + \mathcal{A} + \sigma r$ $w r \sigma \nabla r \mathcal{A} \sigma r \mathcal{A} + \sigma w r$ $\mathcal{Y} \mathcal{A} r \sigma r$
 $u \mathcal{A} | = \dots | r \sigma w r$ $\mathcal{Y} \mathcal{A} = \mathcal{A} = r \sigma$ $r \mathcal{A} \mathcal{Q} = r \mathcal{Y} r \sigma$ $w \div r \sigma w r \mathcal{B} w + \sigma$ $\mathcal{A} \mathcal{A} r \mathcal{Q} +$
 $u + \dots \mathcal{A} \mathcal{A} w r \sigma \nabla w r$ $w r \sigma r \mathcal{Y} + \dots \sigma \mathcal{A} r$ $\dots \div + = + r$ $u w \mathcal{B} \mathcal{A} + r \div \mathcal{A}$
 $| r + = + r$ $r \sigma r$ $\mathcal{Q} | + r + = r$ $\nabla w + r$ $r \mathcal{A} \sigma r \mathcal{A} = \mathcal{A} || \mathcal{A} r$ $w r \sigma \div +$
 $= + r$ $\mathcal{A} r \mathcal{A} | + + \sigma$ $\mathcal{A} \sigma = r r$ $r \mathcal{A} \sigma \dots r w r + r \mathcal{A} r$ $u w = \mathcal{A} = + r$ $\sigma r \mathcal{A} \mathcal{Q}$
 $+ r$ $\mathcal{A} || r \mathcal{B} r$ $= | w r r = \mathcal{A} r + \dots = + r$ $\mathcal{A} \div \mathcal{A} r = + \dots r = \mathcal{A} r$ $w r \mathcal{Y} r$

$$1 \quad K \div K \sqrt{=} 1 \text{ ist } \text{ist} \quad \text{ist} \quad \gamma_1 \div = + \sqrt{=} \gamma_2.$$